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 $\frac{\text{local HHI or}}{\text{local HHI or}}$   $\bullet$  Different demand elasticities in local markets

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- $s_t$  monetary surprise (Nakamura and Steinsson, 2018) Market power channel
- Capital allocation channel  $Z_{t,c}$  controls for national and local economic conditions Regional Giant Share
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## **Motivation Empirical Model Quantitative Model**

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$$

$$
L_i^c,
$$

# **Bank Concentration and Monetary Policy Pass-Through**  $\left[\frac{1}{2}\right]$ **NOTRE DAME**

### • **Rise in U.S. bank concentration** Local projections: Credit and Banking New Keynesian Model (Gerali et al., 2010)

- Average local Herfindahl-Hirschman Index (HHI) increased from 15% to 26%  $r_{t+h,i,c} r_{t-1,i,c} = \frac{h}{i} + \frac{h_{S_t}}{s_t + \frac{h_{S_t}}{s_t}} \times \mathbf{X_{t,i,c}} + \theta^h \mathbf{X_{t,i,c}} + \eta^h$
- Asset share of giant banks increased from  $10\%$  to 60% during the same time
- **Research question:** How does the rise in bank concentration  $\mathbf{X}_{t,i,c}$  county-level HHI, bank capital to assets ratio  **Size-dependent bank capital requirements** alter monetary transmission? Bank types
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- **Matters for:** Effectiveness of monetary policy, financial stability, •• Pass-through:  $h + h(\bar{m}^X \pm 2sd^X)$ distributional effects

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- Cross-sectional pass-through of monetary shocks to loan rates
- Contribution of local bank concentration and capitalization
- <sup>2</sup> Uses theoretical model to rationalize empirical fndings • Accounts for differences across banks and branches
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- <sup>3</sup> Uses quantitative model to assess macroeconomic impact
- Embeds theoretical model into New Keynesian model<br>• Quantifies change in transmission due to rising bank concentration<br>• Quantifies change in transmission due to rising bank concentration
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Figure: IQR of 1-year hybrid ARM across surveyed branches and federal funds rate

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- 50 b.p. higher for branches in high vs. low concentration markets **Rate Dispersion and Spreads** • 25 b.p. higher for banks with low vs. high capital ratios



•Amplifes pass-through to loan rates and transmission to lending  $\bullet$  Amplifies transmission to output; dampens effect on inflation

• Decrease in share of low-concentration markets  $(m)$  and regional banks  $(m)$ • Quantify change in transmission due to rising bank concentration • Calibration of banking sector to 1994 vs. 2019, accounting for: • Increase in markups ( $\epsilon$ ) and bank capital ratios ( $\nu^b$ ) over time



• Explicit modeling of bank market power and capital ratios Figure: Loan rate responses to <sup>a</sup> monetary shock for high/low state

- Average IQR across *banks* in the same market: 1.03 p.p.
- •Average IQR across *branches* of the same bank: 0.32 p.p.
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# **Theoretical Model**

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\max \Pi_i^c = r_i^{l,c} L_i^c(r_i^{l,c}) + r^f R_i^c - r_i^d D_i^c(r_i^{d,c})
$$

$$
\begin{aligned} \overline{\epsilon^{l,c}}\,,\bar{r}^{l,c},\bar{L}^{c})\\,\epsilon^{d,c},\bar{r}^{d,c},\bar{D}^{d})\\=D_{i}^{c}+K_{i}^{b,c} \end{aligned}
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### **Counterfactual: Rise in Bank Concentration**

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- Leads to a fattening of the Phillips curve

s.t.  
\n**6** Bank capital requirement: 
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K_i^{b,c} \geq \underbrace{\overbrace{\nu_i^b}}_{\text{location-specific}}
$$
  $L_i^c$ ,  
\n**8** Local loan demand:  $L_i^c = f(r_i^{l,c}, e_i^{l,c}, \overline{r}^{l,c}, \overline{r}^{l,c}, \overline{r}^{l,c})$ 

*s* Local deposit supply:  $D_i^c = f(r_i^{\prime}, \epsilon^{\omega, c},$  $i^{c} + R_{i}^{c} = D_{i}^{c}$ 



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### **Contact Information**



 $h + h(\bar{m}^X \pm 2sd^X)$ <br>  $\stackrel{\leftrightarrow}{\cong} \frac{1}{2}$  Low  $r_t^{l,r} = \frac{\epsilon^l}{\epsilon^l-1} R_t^r$   $r_t^{l,g} = \frac{\epsilon^l}{\epsilon^l-1} R_t^g$  $\left(1-\frac{b}{c}\right)$ + heterogeneity in banking sector along two dimensions:  $l,r \;=\; \frac{\epsilon^l}{\epsilon} \; R^r \quad r^{l,g} \;=\; \frac{\epsilon^l}{\epsilon}$  $\frac{\epsilon^l}{\epsilon^l-1}R_t^r$   $r_t^{l,g} = 0$  $\frac{d}{dt}r^r = \frac{\epsilon^l}{\epsilon^l - 1}R_t^r$   $r_t^{l,g} = \frac{\epsilon^l}{\epsilon^l - 1}R_t^g$   $m$  $h,r \;=\; \frac{\epsilon^h}{\epsilon} \; R^r \; \; r^{h,g} \;=\; \frac{\epsilon^h}{\epsilon}$  $\text{High} \ \ r_t^{h,r} = \frac{\epsilon^h}{\epsilon^h - 1} R_t^r \ r_t^{h,g} = \frac{\epsilon^h}{\epsilon^h - 1} R_t^g$  $\frac{g}{t}(1 - m)$ 

 $\bullet$   $R_t^{r,g}$  depends on  $\nu^b,$  calibrated to capital ratio by bank size

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\frac{dr_i^{l,c}}{dr^f} = \frac{\epsilon^{l,c}}{\frac{(\epsilon^{l,c}-1)}{\epsilon^{l,c}-1}} + \frac{\epsilon^{l,c}}{(\epsilon^{l,c}-1)} \underbrace{\nu_i^b \frac{d\phi_i}{dr^f}}_{capital\ allocation} \n\frac{channel}{channel}
$$

- Dispersion and spreads higher in times of low rates Pass-through varies across banks due to differences in  $\nu_i^b$ • Pass-through varies across locations due to differences in  $\epsilon^{l,c}$ 
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